

# NEURAL NETWORKS (CH. 5.)

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CLASSIFICATION  $\rightarrow$  DATA MODEL  
REGRESSION  $\rightarrow$  DATA MODEL

$$y(\underline{x}, \underline{w}) = f\left(\sum_{j=1}^n w_j \phi_j(\underline{x})\right)$$

$\phi_j(\underline{x})$   $\begin{cases} \text{FIXED} \\ \text{DATA DEPENDENT} \end{cases}$

$f$  — LINEAR, POLYNOMIAL  
SGN  
SIGMOID  
ETC.

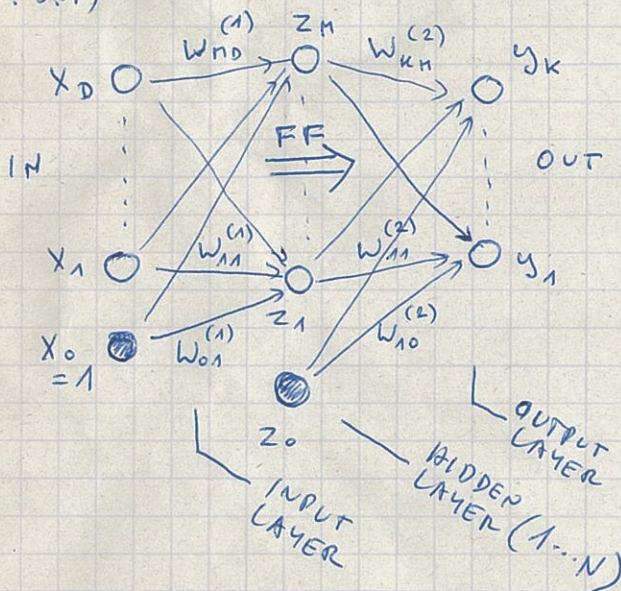
FEED-FORWARD TOP.

$$y_k(\underline{x}, \underline{w}) = \sigma\left(\sum_{j=0}^M w_{kj}^{(2)} h\left(\sum_{i=0}^D w_{ji}^{(1)} x_i\right)\right)$$

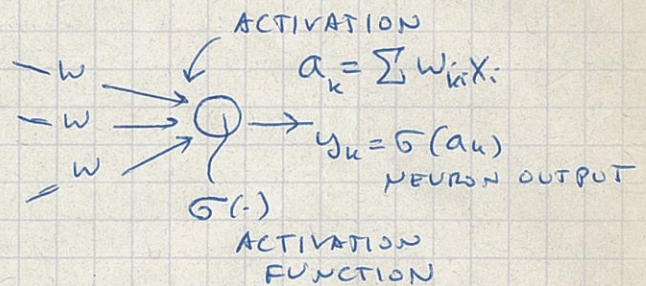
(BIAS INCLUDED)

$$\sigma(a) = \frac{1}{1 + \exp(-a)}$$

(FIG. 5.1)



$$\underline{y} = f_{NL}(\underline{x})$$



## MULTILAYER PERCEPTION

- UNIVERSAL APPROXIMATOR (FIG. 5.3)
- FEED-FORWARD ARCHITECTURE (FEED-BACK RECURRENT) (FIG. 5.2)
- NETWORK TRAINING
  - SETTING  $\underline{w}$  TO MINIMIZE OUTPUT ERROR ON TRAINING DATA

## NETWORK TRAINING (CH. 5.2)

$$\{\underline{x}_n, \underline{t}_n\}_{n=1 \dots N} \rightarrow \underline{w} (?)$$

$$E(\underline{w}) = \frac{1}{2} \sum_{n=1}^N \|\underline{y}(\underline{x}_n, \underline{w}) - \underline{t}_n\|^2 = \min$$

$\uparrow$   
 $\underline{w}_{OPT}$